Demographic Perspectives on Long-term Ecological Research in Organismal Biology

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- Improved assessment of community dynamics: closed population models
- Better metrics of habitat use: occupancy models
- Synthetic population modeling: seasonal components of demography, climate change

Demographic Parameters of Interest

Community

Transition rates: extirpation, species turnover

Abundance: species richness

Population

Transition rates: apparent survival, probability of changing states, recruitment, population growth Abundance: number of individuals

Need to correct for probability of detection Mark-recapture analyses based on encounter histories for individuals or species

Sandercock 2006 J. Wildl. Mgmt.

100 a) Plot richness 100 n b) Pasture richness 90 Bison $r^2 = 0.44$, P < 0.0001No. species/ 10 m² Cattle $r^2 = 0.36$. P < 0.0001 Ungrazed r² = 0.002, ns 6.0 g c) Plot diversity 6.5 Bison $r^2 = 0.47$, P < 0.00016.0 27 -5.5 species 5.0 24 - Ungrazed $r^2 = 0.05, P < 0.0$ 21 grasshopper 15 12 1.0 ġ. 866 2000 2001 $R^2 = 0.53$ Density (no. individuals/m2) grasshopper species 25

20

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$\hat{N} = C / \hat{p}$

Species richness based on count data

Plants

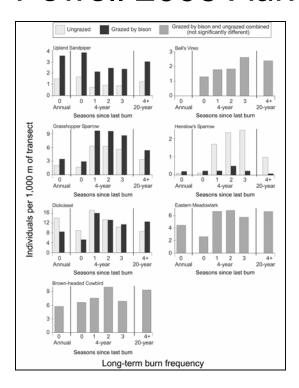
No bison Bison grazed

Study site area (ha)

Towne et al. 2005 Ecol. Appl.

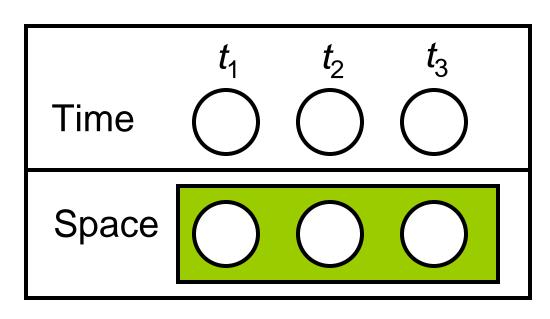
Grasshoppers Joern 2006 Ecology

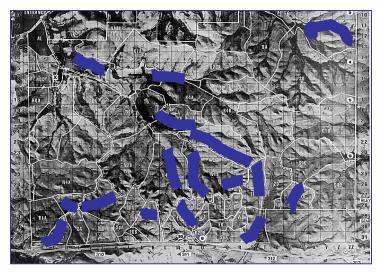
Birds Powell 2006 Auk



Closed Population Models Estimate Abundance

 \hat{p} modeled as a function of: time, behavior, individual heterogeneity





LTER Repeated Sampling

Plants: Yes, 5 plots/transect

Grasshoppers: Yes, 2 periods

Fish: No

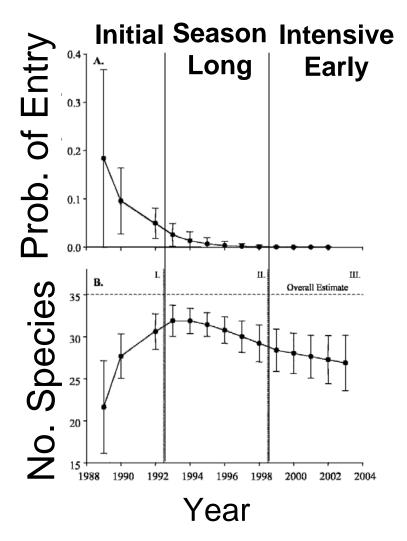
Birds: No

Avifauna

$\chi_5^2 = 2.83$ 2004-05 P = 0.69P = 0.7330 25 20 NO (W) ddS $\chi_1^2 = 7.6$ P = 0.006**10 Fenced Grazed

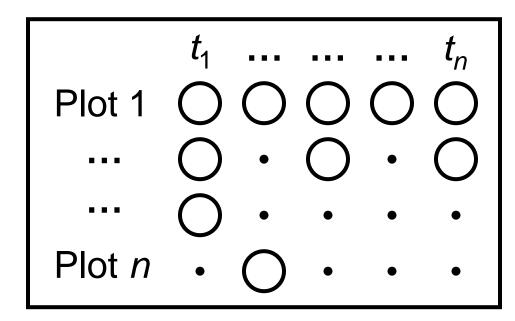
Johnson 2006 MSc thesis

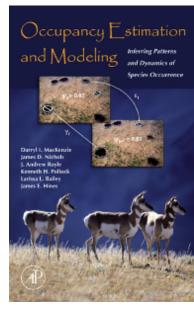
Herpetofauna



Wilgers et al. 2006 Herpetologica

Occupancy Instead of Abundance?



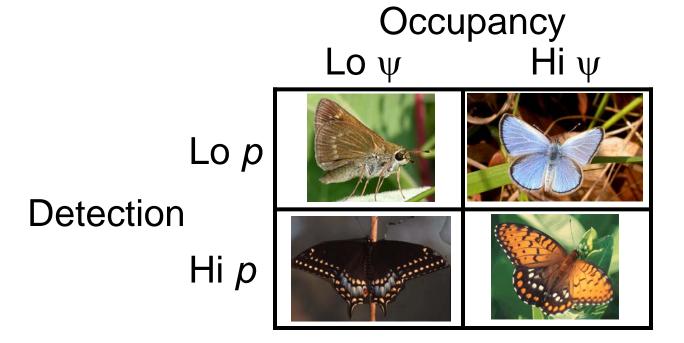


MacKenzie et al. 2005

Two Parameters

Occupancy (ψ) = probability that a species is present at a sampling site (or proportion of sites occupied) Detection (p) = conditional probability that a species is detected at a site, given presence

Occupancy Models for Prairie Butterflies?



Tips for study design

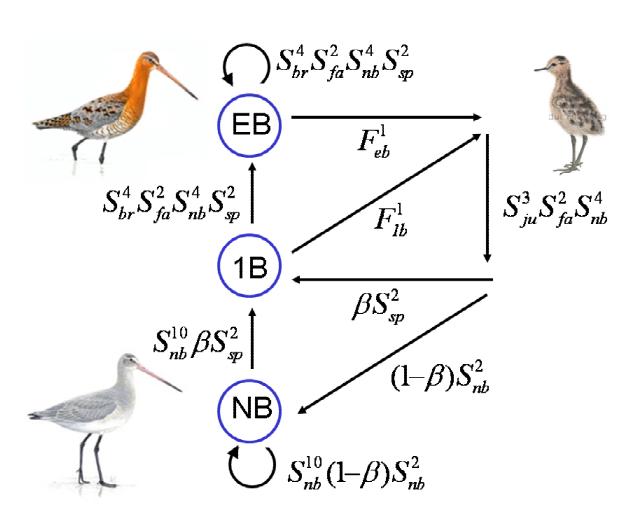
Sites must be selected at random

Rare species: More sites, fewer visits

Common species: Fewer sites, more visits

Model ψ and p versus environmental covariates

Stochastic Population Models



Seasonal demography of migratory birds

- Demographic tradeoffs vs.
 migration
- Population limitation and regulation
- Targeted conservation





Upland Sandpiper Demography

Clutch size

• 3.9, 3.8-4.0 (*n* = 158)

Prob. of renesting

• 0.22, 0.08-0.43 (n = 81)

Chicks/egg

0.86, 0.81-0.92 (n = 68)

Sex ratio

0.48, 0.43-0.51 (n = 153)

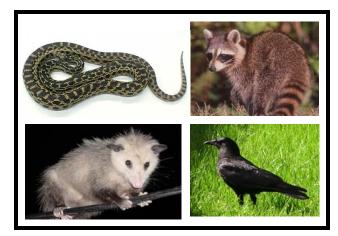




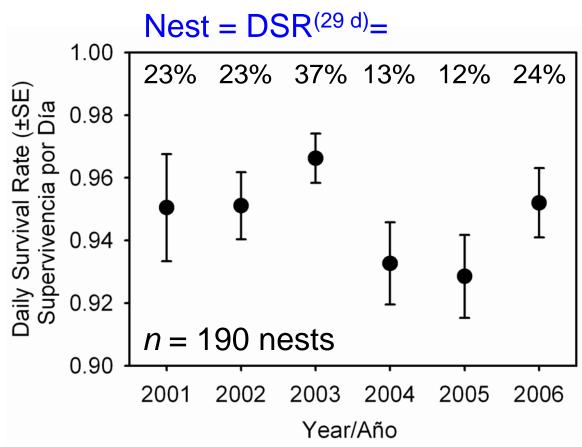
Age at maturity

1-year

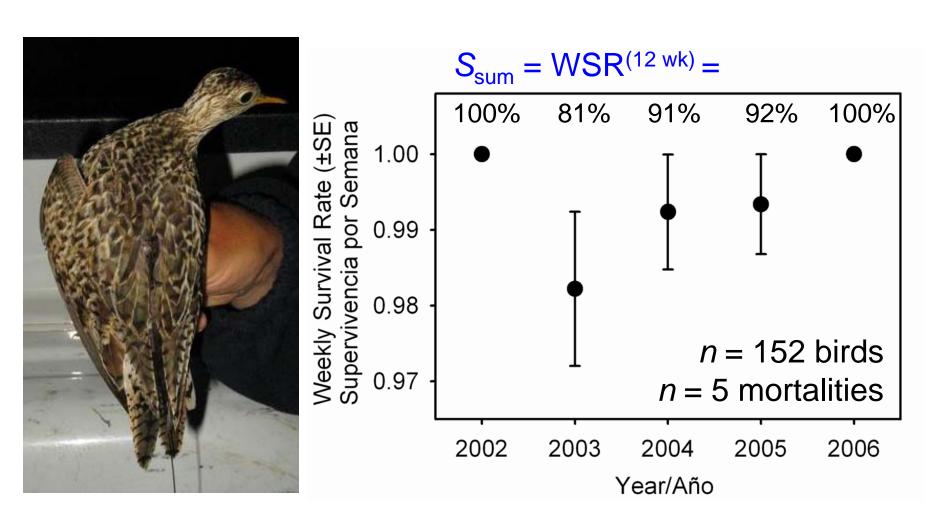
Survival of Nests







Summer Survival

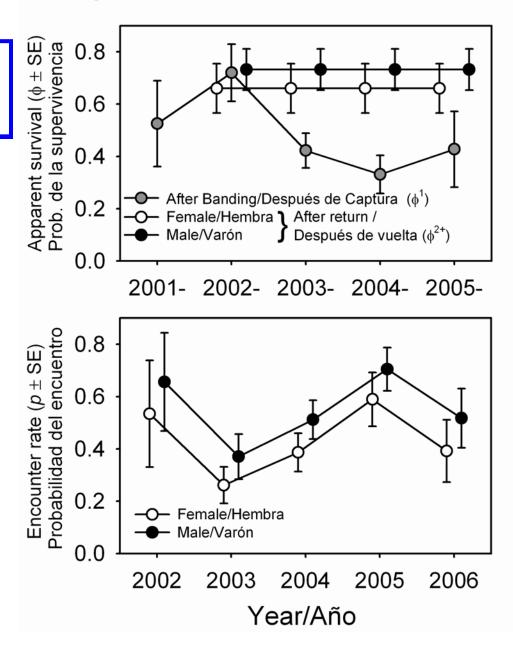


Mong and Sandercock 2006 J. Wildl. Mgmt

Annual Survival

n = 423 adults minAIC: ϕ^1_t , ϕ^{2+}_{sex} , p_{sex+t}

- Prob. of detection low, varies with time and sex
- Effect of transients
- Annual survival of females = 0.66 ± 0.09SE



Synthesis

Calculation of fecundity (female young per female)

Rep = [Nest Survival +
$$((1 - Nest) \times Renest)$$
] \times Clutch size \times Chicks/egg \times Sex ratio

Calculation of survival during winter and migration

$$S_{\text{win}} = S_{\text{ann}} / S_{\text{sum}}$$

Calculation of juvenile survival

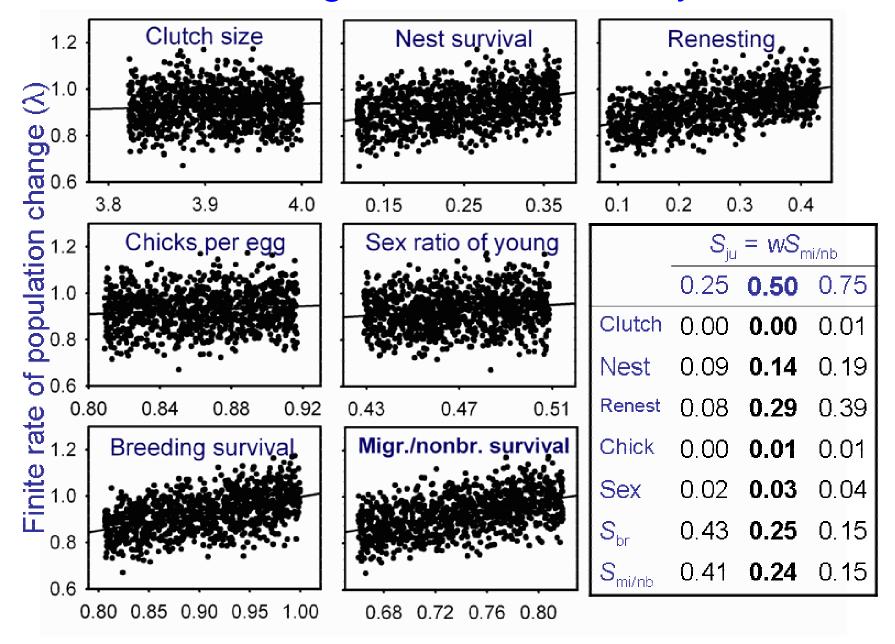
$$S_{\text{juv}} = S_{\text{win}} \times 50\%$$

Calculation of finite rate of population change (λ)

$$\lambda = (Rep \times S_{juv}) + (S_{sum} \times S_{win})$$

 Life-stage simulation analyses (LSA), bootstrapping, based on uniform probability distributions

Life-stage Simulation Analysis



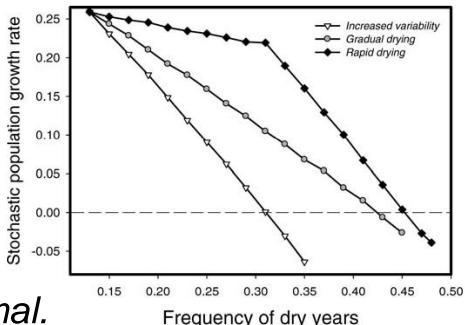
Stochastic Population Models



30-yr precipitation data 3-yr field study: dry (z = -1.13), normal (+0.19), wet (+0.93) Fecundity, growth, survival for stage-structured model

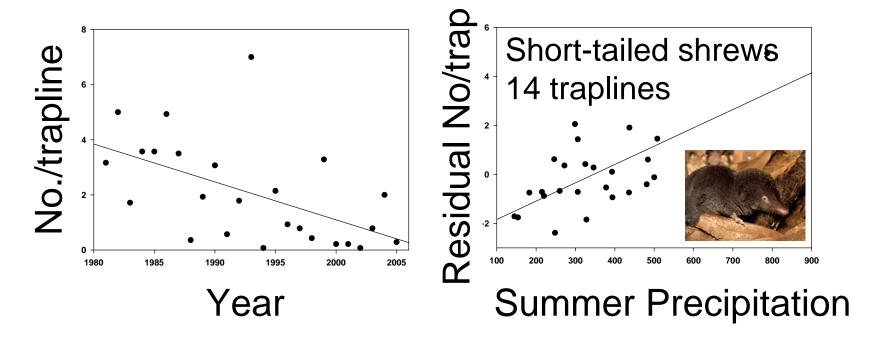
$$\begin{pmatrix} 0 & 0 & F_3 & F_4 \\ G_{12} & S_{22} & 0 & 0 \\ 0 & G_{23} & S_{33} & 0 \\ 0 & 0 & G_{34} & S_{44} \end{pmatrix}$$

50-yr projections Independent, identical distributed series (*iid*)



Reed et al. 2007 J. Mammal.

Count-based Population Viability Analyses



 Possible to conduct stochastic modeling with unstructured models if population change linked to environmental conditions

Summary

- Benefits of demographic perspective: estimates with less bias and greater precision, improvements in sampling efficiency, greater synthesis
- Opportunities for novel improvements without new experiments, reversal treatments, exclosures.